Bottom-up Object Detection by Grouping Extreme and Center Points -Supplementary Material

Xingyi Zhou UT Austin

zhouxy@cs.utexas.edu

Jiacheng Zhuo UT Austin jzhuo@cs.utexas.edu Philipp Krähenbühl UT Austin philkr@cs.utexas.edu

Algorithm 1: Center Grouping

input : Center and Extremepoint nearmaps of an image for one category: $\hat{V}^{(c)}$ $\hat{V}^{(t)}$ $\hat{V}^{(l)}$ $\hat{V}^{(b)}$ $\hat{V}^{(r)} \subset (0, 1)H \times W$
Center and near selection thresholds: π and π
Output: Bounding box with score
// Convert heatmans into coordinates of keynoints
$T \cap B \cap R$ are sets of points
$\mathcal{T} \leftarrow \text{ExtractPeak}(\hat{Y}^{(t)} \tau_{-})$
\hat{V} Extract Peak $(\hat{V}^{(l)}, \tau)$
$\mathcal{L} \leftarrow \text{Extract car}(1 \circlearrowright , I_p)$ $\mathcal{L} \leftarrow \text{Extract car}(\hat{V}^{(b)} =)$
$\mathcal{D} \leftarrow \text{ExtractPeak}(Y \lor , \tau_p)$ $\mathcal{D} \leftarrow \text{ExtractPeak}(\hat{Y}(r) =)$
$\mathcal{R} \leftarrow \text{ExtractPeak}(Y^{(r)}, \tau_p)$
$B_x \leftarrow A$ list of empty lists of size 2W $B_x \leftarrow A$ list of empty lists of size 2W
$B_y \leftarrow A$ list of empty lists of size 2H for $t \in \mathcal{T}$, $h \in B$ do
$\begin{array}{c} \text{if } t \in \mathcal{I}, \ 0 \in \mathcal{D} \text{ uo} \\ \hline \text{if } t \leq h \text{ then} \end{array}$
$\begin{vmatrix} t_y \\ dd \\ t_b \end{vmatrix}$ to $B_u[t+b]$
end
end
for $l \in \mathcal{L}$, $r \in \mathcal{R}$ do
if $l_x < r_x$ then
$\begin{bmatrix} -\overline{\text{Add}}(l,r) \text{ to } B_x[l+r] \end{bmatrix}$
end
end
for $i \in [0, 2W - 1]$, $j \in [0, 2H - 1]$ do
$c_x = i/2, c_y = j/2$
if $\hat{Y}_{c_x,c_y}^{(c)} \geq \tau_c$ then
for $(l,r) \in B_x[i]$, $(t,b) \in B_y[j]$ do
if $t_y \leq l_y, r_y \leq b_y$ and $l_x \leq t_x, b_x \leq r_x$ then
Add Bounding box (l_x, t_y, r_x, b_y) with score
$(\hat{Y}_{t_{-},t_{+}}^{(t)} + \hat{Y}_{l_{-}}^{(t)} + \hat{Y}_{h_{-},h_{-}}^{(b)} + \hat{Y}_{r_{+},r_{+}}^{(r)} +$
$\hat{\mathbf{v}}^{(c)}$
$ I_{c_x,c_y} \rangle / 3.$
end
ena
end
and

1. $O(n^2)$ grouping algorithm

Algorithm. 1 gives an $O(n^2)$ center grouping algorithm. The basic idea is to separate the enumeration between x dimension and y dimension and early reject invalid bounding boxes. However, the algorithm is hard to be accelerated by GPU. On the other hand, n is less than 40 in our experiments and the $O(n^4)$ grouping algorithm runs effectively on GPU.

	AP	AR_1	AR_{10}	AR_{100}	AR_S	AR_M	AR_L
CornerNet (SS)	40.5	35.3	54.3	59.1	37.4	61.9	76.9
CornerNet (MS)	42.1	36.4	55.7	60.0	38.5	62.7	77.4
ExtremeNet (SS)	39.8	31.6	49.9	53.0	30.0	56.5	69.5
ExtremeNet (MS)	43.2	34.7	55.6	60.0	37.0	63.3	78.1

Table 1: Average recall evaluation on COCO test-dev comparing to CornerNet [1]. SS/ MS are short for single-scale/ multi-scale tesing, respectively. AR_k is the bounding box recall of the top k predictions. AR_S , AR_M , AR_L are the recall of the top 100 predictions for small, median, large objects, respectively.

We find the $O(n^2)$ algorithm runs slower in practice.

2. Average recall evaluation

Table. 1 shows the average recall on COCO test-dev set. We observe that our single-scale model yields considerably lower recall than single scale CornerNet, although their overall AP are close. While in the multi-scale setting, the AR of ExtremeNet and CornerNet are comparable. This shows multi-scale testing benefits ExtremeNet by increasing its recall. It can be understood that our center grouping requires strict pixel-level accuracy for the matching between the computed geometric center and the center heatmap. Multi-scale testing implicitly gives an error tolerance and gives more detections at a good precision.

3. More qualitative results

More qualitative results. We *uniformly* sample 50 images from the 5000 images of COCO val2017. We show detection results with confidence ≥ 0.5 . First and second column: our predicted extreme point heatmap and center heatmap. Third column: our predicted bounding box and the octagon mask formed by extreme points. Fourth column: resulting masks of feeding our extreme point predictions to DeepExtremeCut [2].



















References

- [1] Hei Law and Jia Deng. Cornernet: Detecting objects as paired keypoints. In *ECCV*, 2018. 1
- [2] K.K. Maninis, S. Caelles, J. Pont-Tuset, and L. Van Gool. Deep extreme cut: From extreme points to object segmentation. In CVPR, 2018. 1